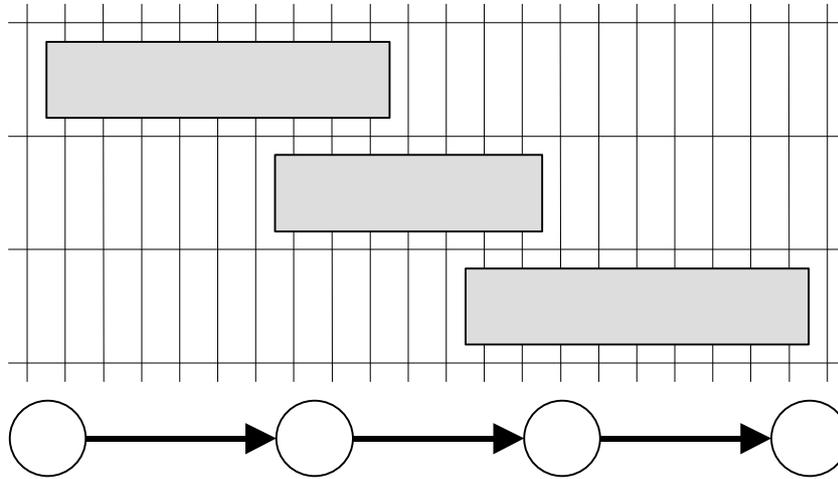


Network Techniques - II.



CPM^{time} - CPM^{time+} : Overlapping, open network and non-broken activity keep being problematic (Schedules for Production Management ?!)

MPM^{time} : (METRA Potentials' Method)

Activity-on-node typed, deterministic project model with discrete variables and with abilities of handling manifold and multiple relations

GTM : (General Time Model)

Event^{*}-on-node typed deterministic project model with homogeneous relations

* Deadline and/or milestone

METRA Potentials' Method (MPM^{time})

1960 : B. Roy, France, Appl: Nuclear Power Station (originally: start potentials only)

Node :

Activity (with no break in performance)
(Event and milestone have duration of 0)

Edge :

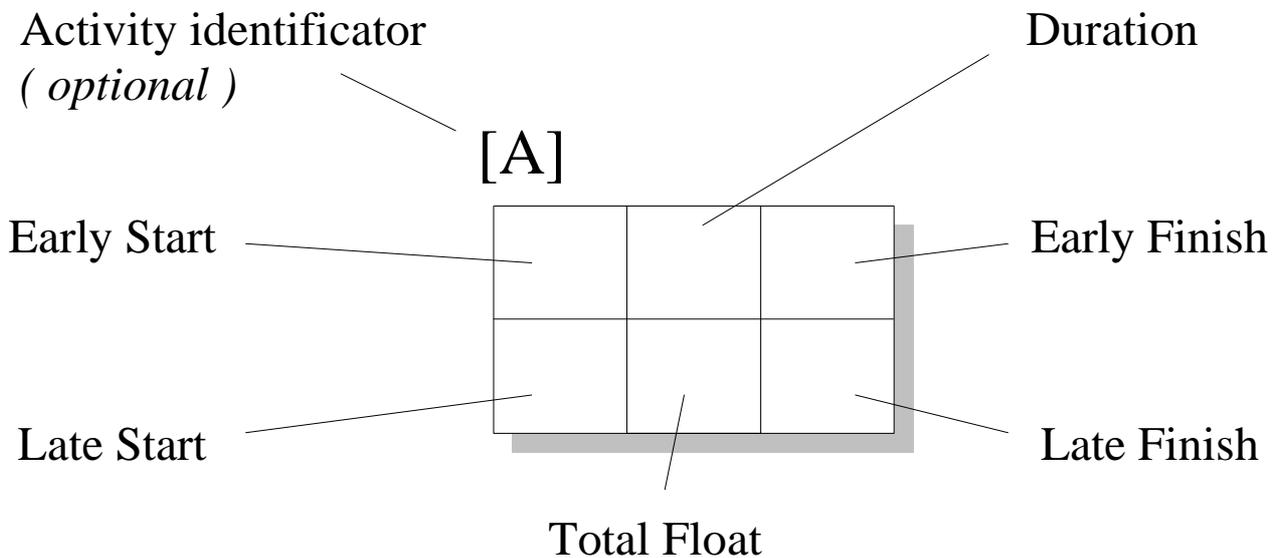
Technical-, technological-, or resource management-born quantified relation

Parameter (weight) :

Lag-time, duration and time potential
(deterministic variable)

Aim : Schedules for production management, modelling technologies, monitoring progression, change management ...
Handling (time consequences of)
overlapping (relative in time), restrictions for resource allocation, technological and spatial limitations, etc. ...

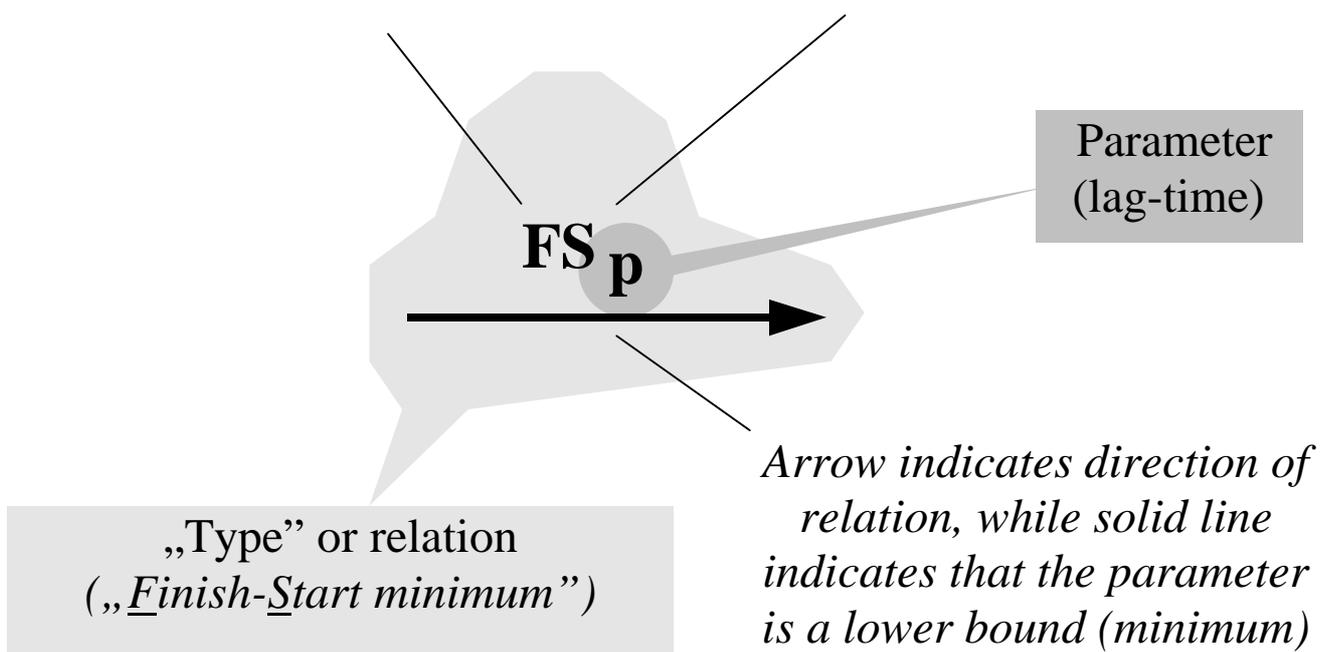
"Activity-on-node"



"Relation" (min)

Deadline/milestone of
„predecessor” (**basic**) activity
(here: „Finish”)

Deadline/milestone of
„successor” (**related**) activity
(here: „Start”)



"Relation" (max)

Deadline/milestone of „predecessor” (base) activity
(here: „Finish”)

Deadline/milestone of „successor” (related) activity
(here: „Start”)

"minus" sign

-FS p

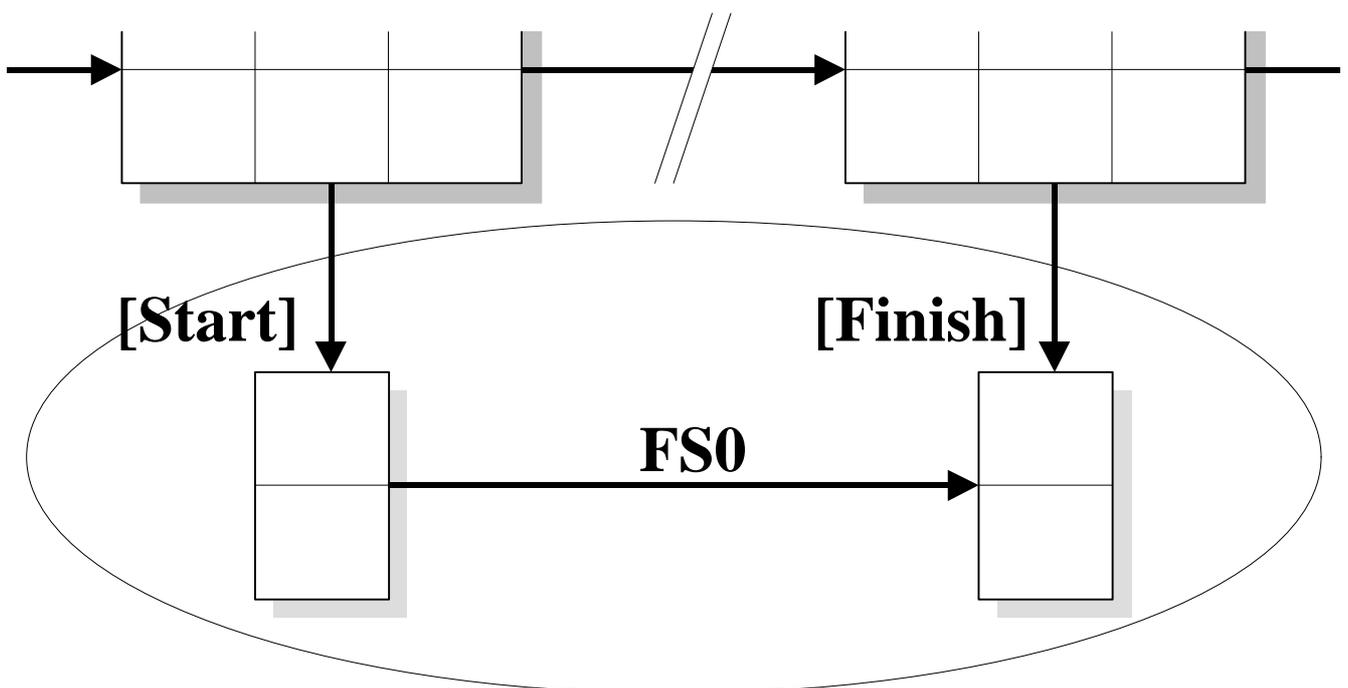
Parameter (lag-time)



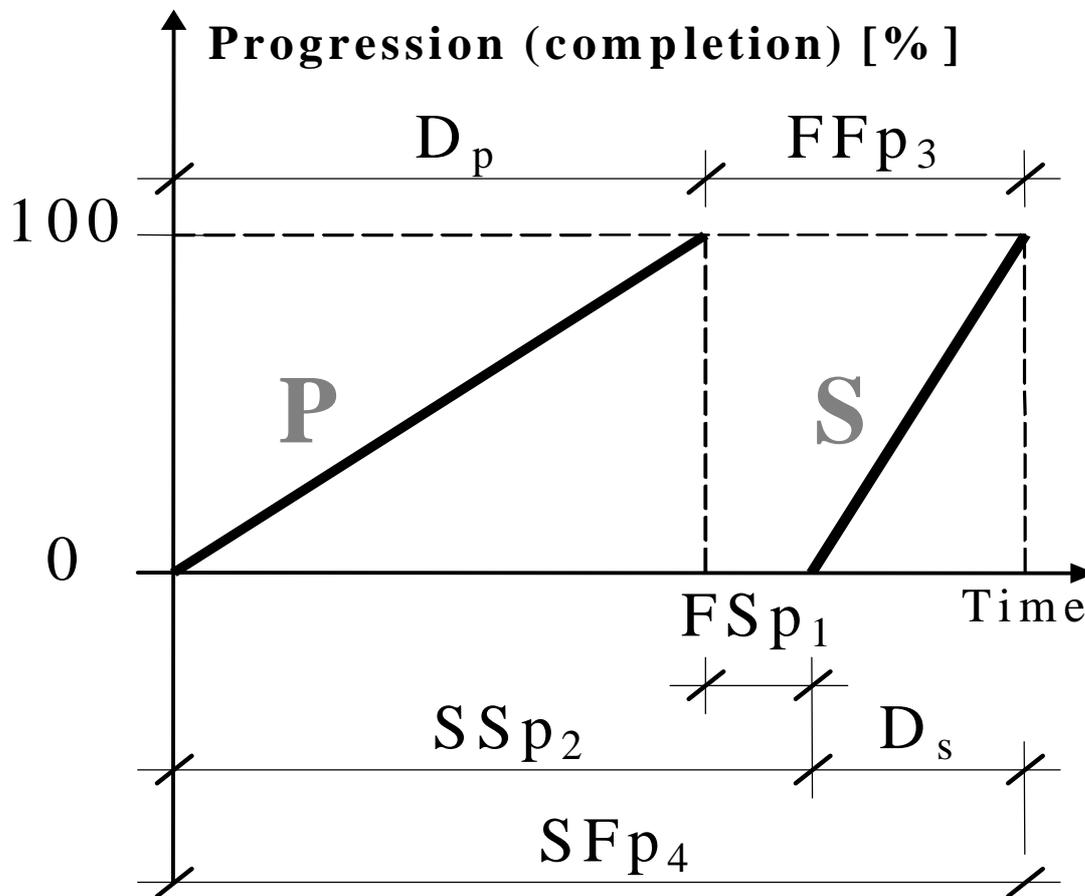
„Type” of relation
(„Finish-Start maximum”)

Reversed arrow indicates direction of relation, while broken line and "minus" sign indicate that the parameter is an upper bound (maximum)

"Hammock/Suspended Activity"



MPM - Basic Relations



Transforming Relations

	FFq	FSp	SFq	SSq
FFp		$q = p - D_s$	$q = p + D_p$	$q = p + D_p - D_s$
FSp	$q = p + D_s$		$q = p + D_p + D_s$	$q = p + D_p$
SFp	$q = p - D_p$	$q = p - D_p - D_s$		$q = p - D_s$
SSp	$q = p + D_s - D_p$	$q = p - D_p$	$q = p + D_s$	

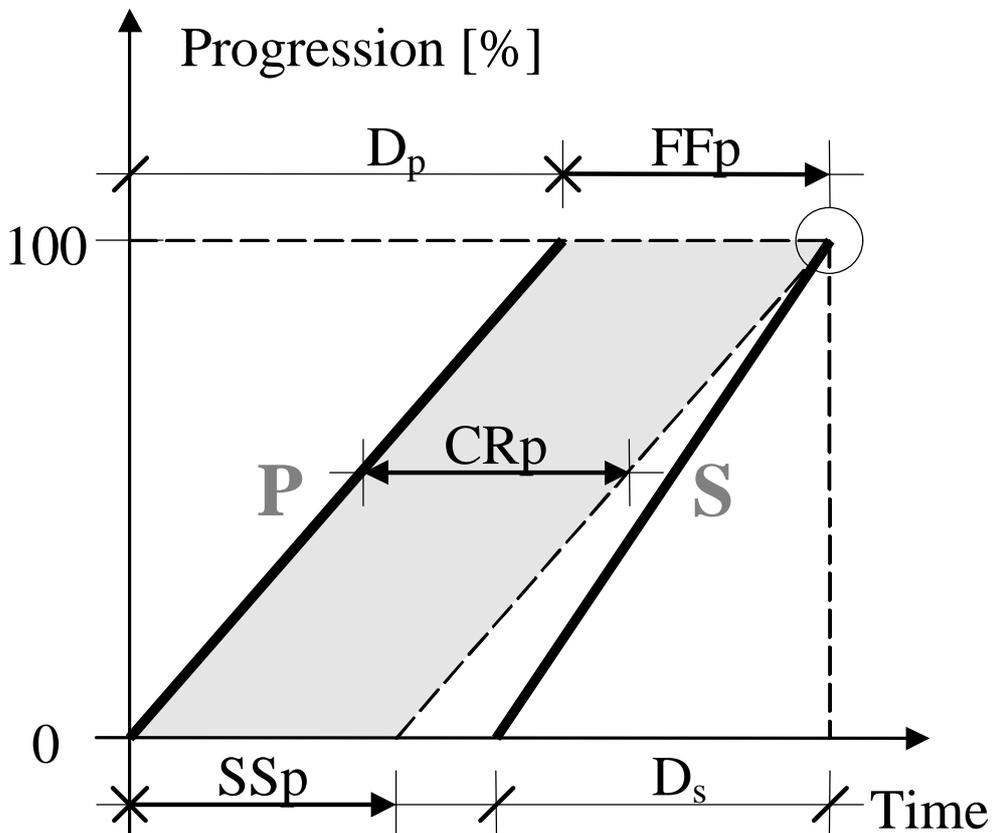
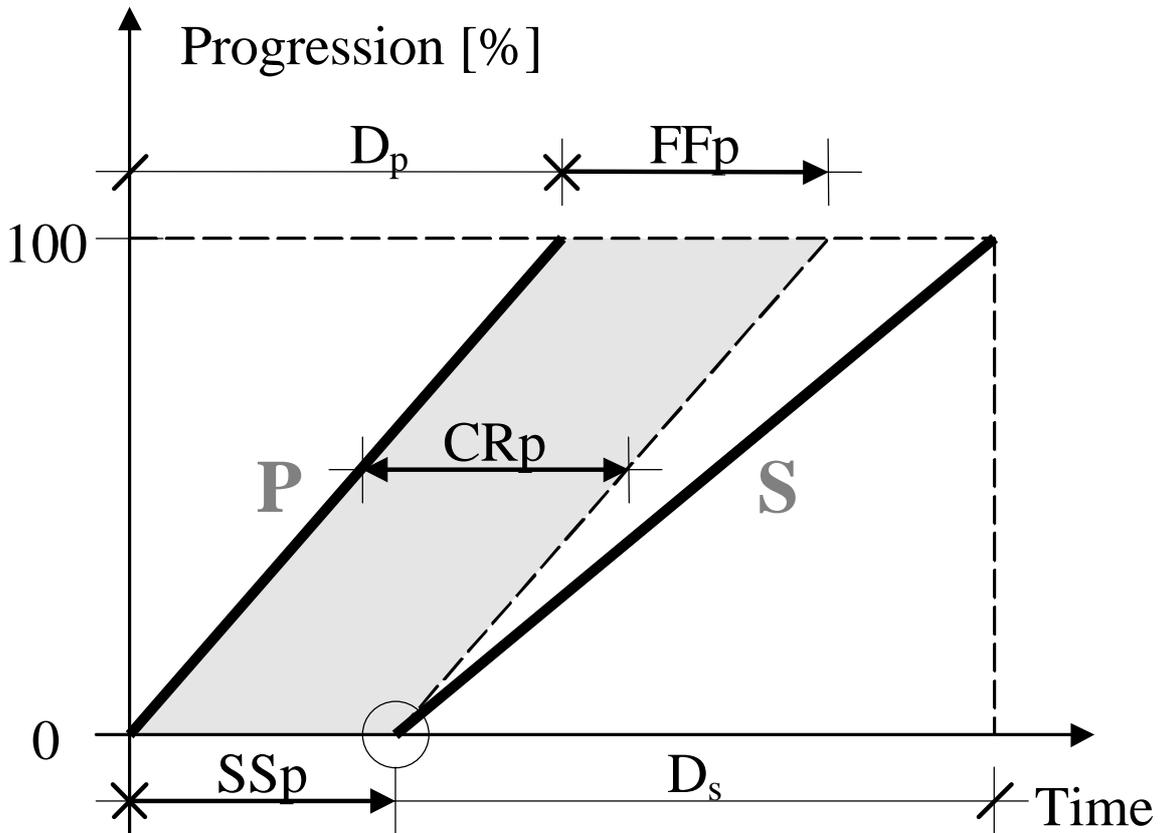
Single Relations

FSp „finish-start minimum p ”	Successor (related) activity can be started <u>at least</u> " p " tu later than predecessor (base) activity is finished	Typically in case of strictly limited resources (usually with parameter of „0”, to assign consecutive processes)
-FSp „finish-start maximum p ”	Successor (related) activity should be started <u>at most</u> " p " tu later than predecessor (base) activity is finished	Typically accompanying an FSp relation, in case of sensitive conditions or strict expectations on effective resource usage
SSp „start-start minimum p ”	Successor (related) activity can be started <u>at least</u> " p " tu later than predecessor (base) activity is started	Typically in case of well synchronized parallel processes, in a large-scale schedule of a project
-SSp „start-start maximum p ”	Successor (related) activity should be started <u>at most</u> " p " tu later than predecessor (base) activity is started	Not typical relation. Solely or together with an SSp relation it can be a useful tool for direct allocation (time or resource)
FFp „finish-finish minimum p ”	Successor (related) activity should be finished <u>at least</u> " p " tu later than predecessor (base) activity is finished	Mostly a count-down typed relation for „administrative”, e.g. handover- or supervisory activities
-FFp „finish-finish maximum p ”	Successor (related) activity should be finished <u>at most</u> " p " tu later than predecessor (base) activity is finished	Not typical relation. Solely or together with an FFp relation it can be a useful tool for direct allocation (time or resource)
SFp „start-finish minimum p ”	Successor (related) activity should be finished <u>at least</u> " p " tu later than predecessor (base) activity is started	Theoretic relation, typically with negative parameter and for to replace a -FSp relation (see: scheduling)
-SFp „start-finish maximum p ”	Successor (related) activity should be finished <u>at most</u> " p " tu later than predecessor (base) activity is started	Theoretic relation, being mentioned to complete the list only. It can be used in case of complicated allocations

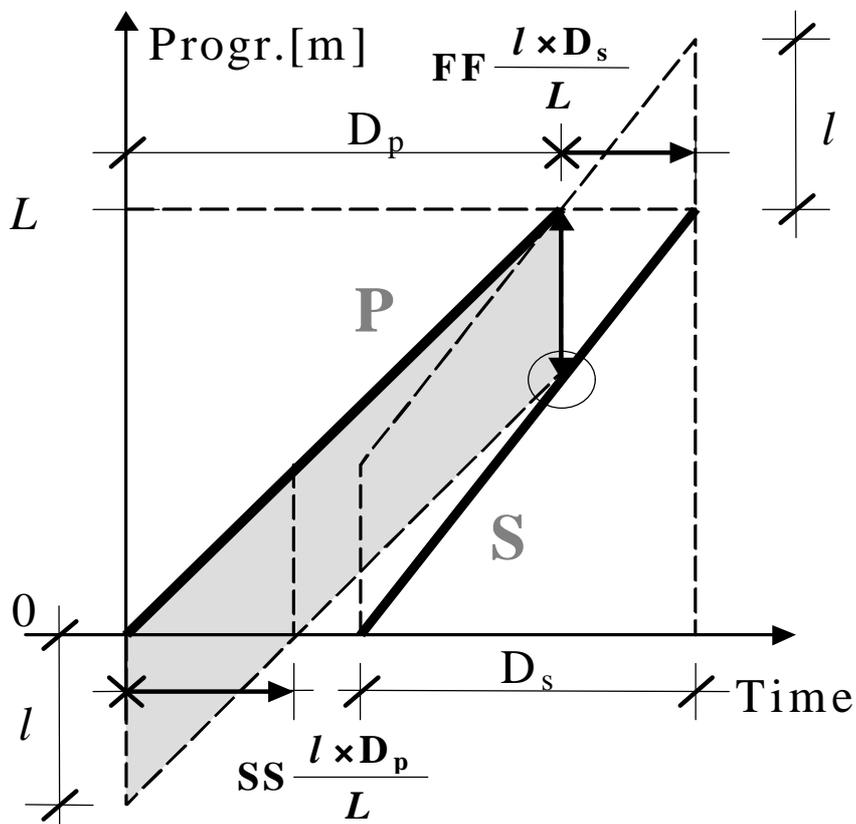
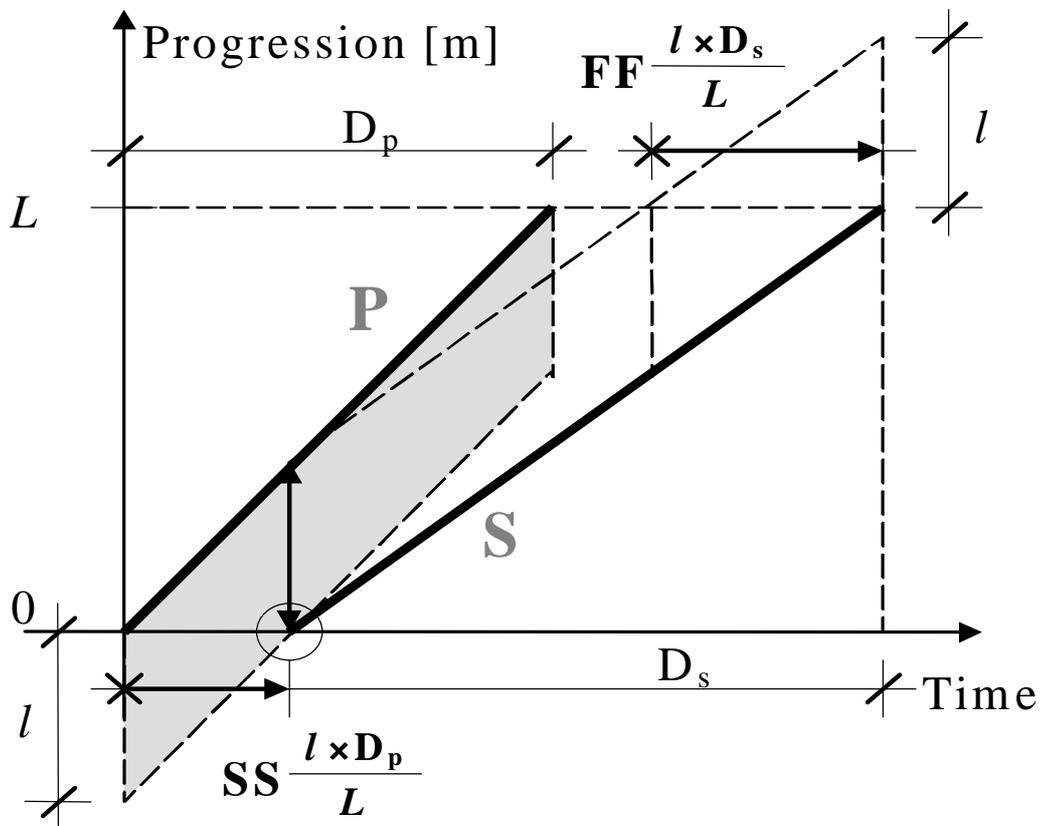
Most Frequently Used Combined Relations

$\left. \begin{matrix} \text{SS}_p \\ \text{FF}_p \end{matrix} \right\} \text{CR}_p$ <p>„(min) critical succession”</p>	<p>A lead-time of <u>at least</u> „p” tu should be provided between the predecessor (base) and successor (related) activity at any rate of completion</p>	<p>Typical relation of technological or resource management-born restrictions (hardening, drying, consolidation, etc.) independent of durations of activities.</p>
$\left. \begin{matrix} -\text{SS}_p \\ -\text{FF}_p \end{matrix} \right\} -\text{CR}_p$ <p>„(max) critical succession”</p>	<p>A lead-time of <u>at most</u> „p” tu can be accepted between the predecessor (base) and successor (related) activity at any rate of completion</p>	<p>Carefully applied it can be a useful tool in case of sensitive conditions. Be careful with it ! Applications may result in a misleading model !</p>
$\left. \begin{matrix} \text{FS}_p \\ -\text{FS}_p \end{matrix} \right\}$ <p>„strict/forced succession”</p>	<p>Successor (related) activity must be started <u>exactly</u> „p” tu after predecessor (base) activity is finished</p>	<p>Typically used for <u>direct</u> allocation of succeeding activities.</p>
$\left. \begin{matrix} \text{FS}_0 \\ -\text{FS}_0 \end{matrix} \right\}$ <p>„immediate succession”</p>	<p>Successor (related) activity must start <u>immediately</u> after predecessor (base) activity is finished</p>	<p>Typically used for expensive or most significant resources to provide their continuous usage, application or employment</p>
$\left. \begin{matrix} \text{FF}_{f(D_s)} \\ \text{SS}_{f(D_p)} \end{matrix} \right\}$ <p>„(min) critical approach (in progression)”</p>	<p>Timing of base and of related activities should provide <u>at least</u> $f(D_p)$ tu lead-time between their starts and <u>at least</u> $f(D_s)$ tu lead-time between their finishes. (<i>Parameters set as function of activity durations</i>)</p>	<p>Typical tool for to <u>provide room</u> (manipulation/operation area) for succeeding activities. Parameters are set <u>in relation of</u> intensity of performances.</p>
$\left. \begin{matrix} -\text{FF}_{f(D_s)} \\ -\text{SS}_{f(D_p)} \end{matrix} \right\}$ <p>„(max) critical approach (in progression)”</p>	<p>Schedule of base and related activities is acceptable if it results in <u>at most</u> $f(D_p)$ tu lead-time between their starts and <u>at most</u> $f(D_s)$ tu lead-time between their finishes. (<i>Parameters set as function of activity durations</i>)</p>	<p>Carefully applied it can be a useful tool for <u>restricting area</u> of manipulation/operation on the construction site. Be careful ! Applications may result in a misleading model !</p>

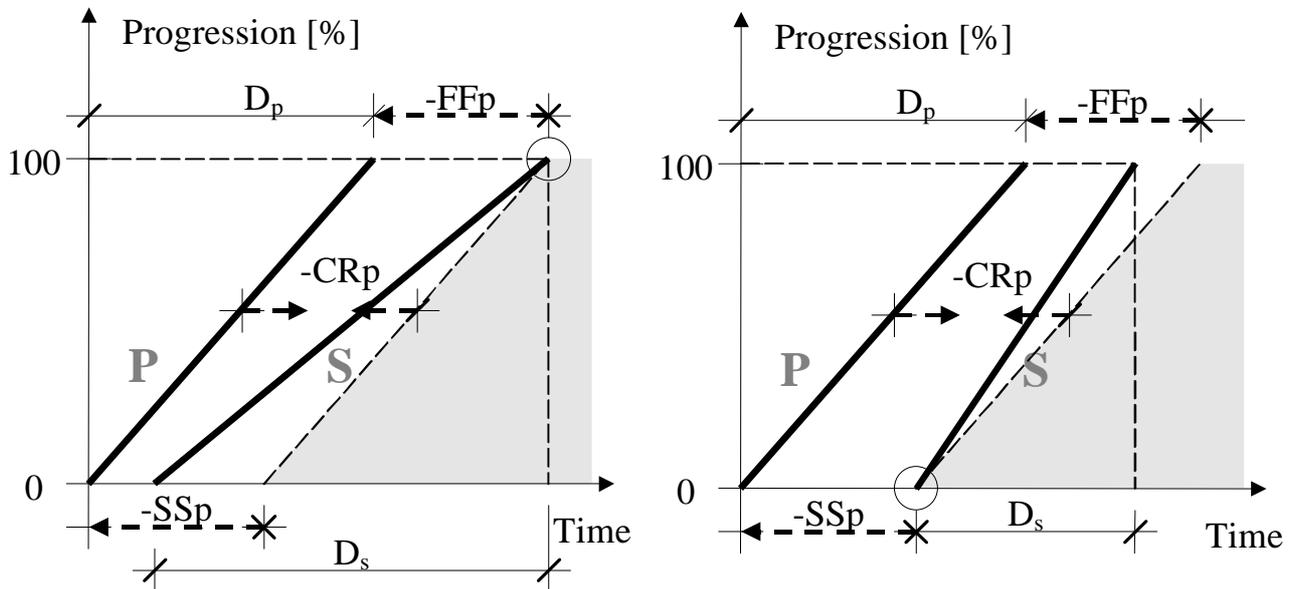
Providing Technological Break



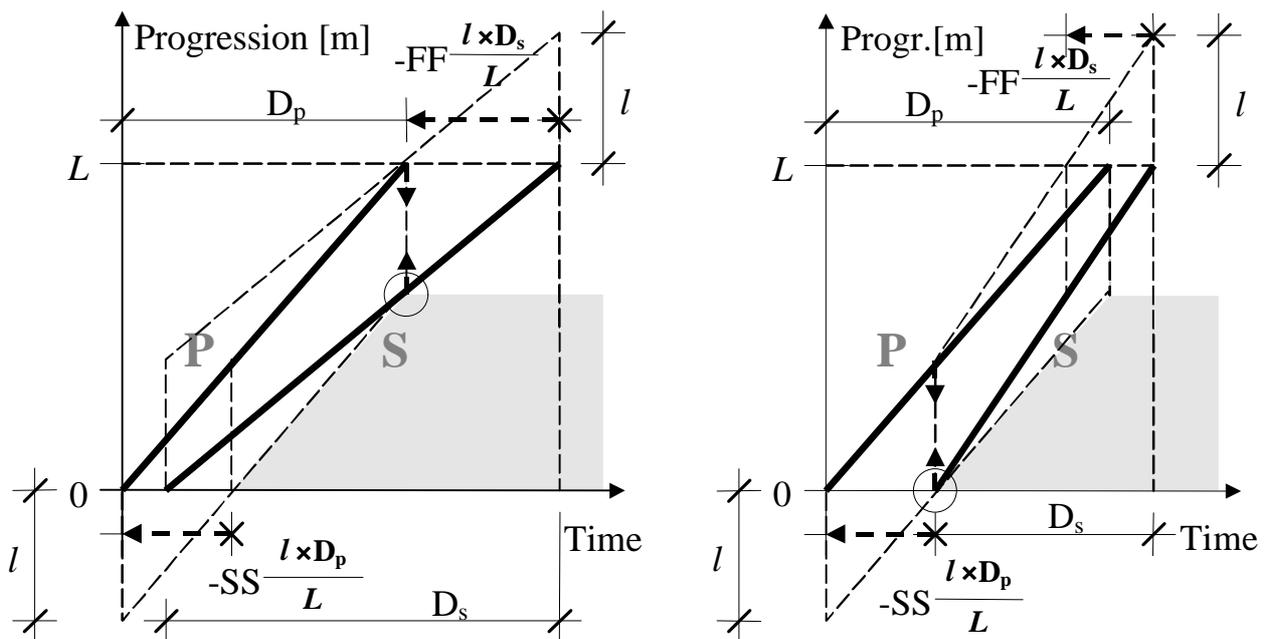
Providing Manipulation Area



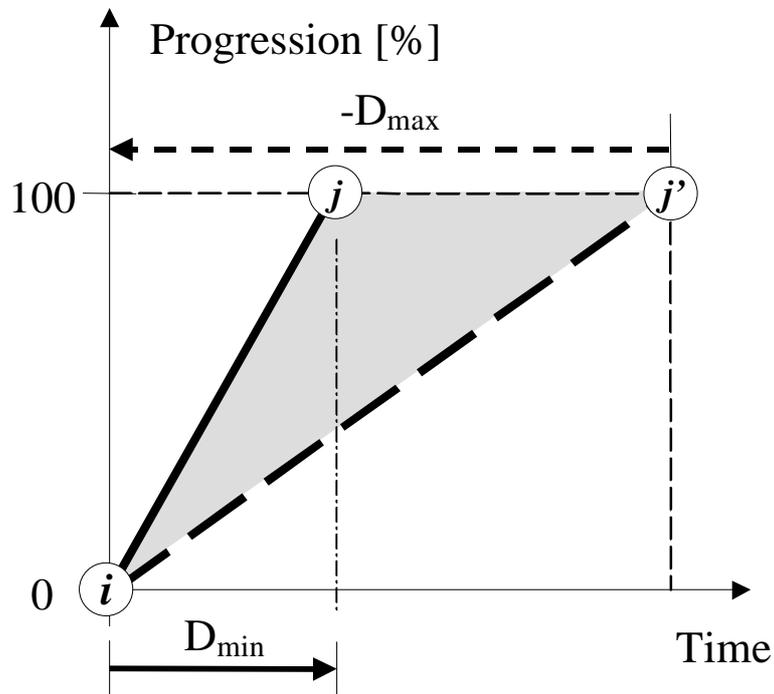
Sensitive Conditions



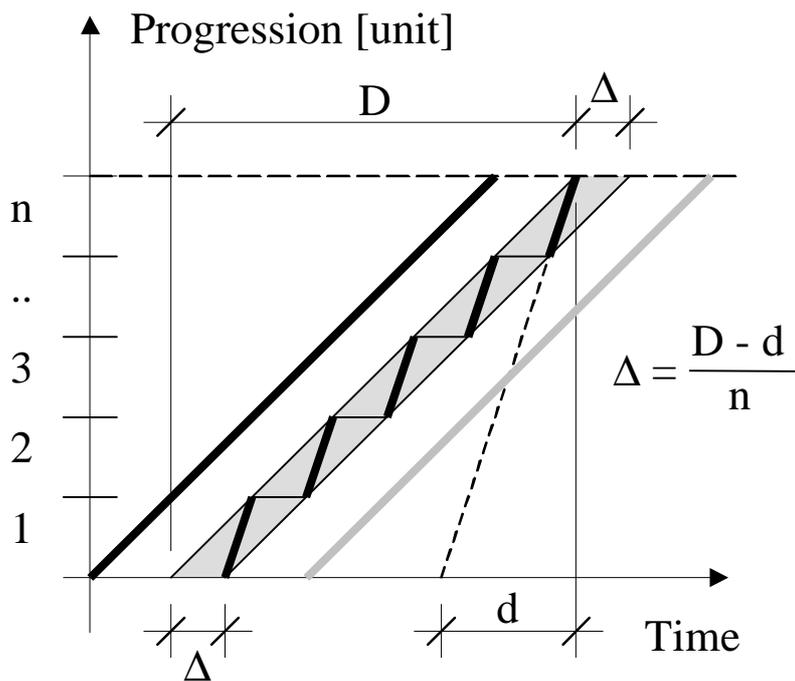
Restricting Manipulation Area



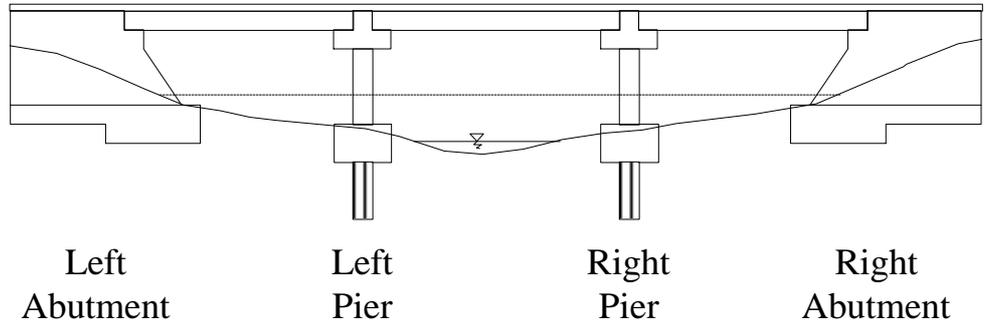
Restrictions on Duration



Virtual Deceleration / Paradox /



MPM Network Problem:



Site Preparation

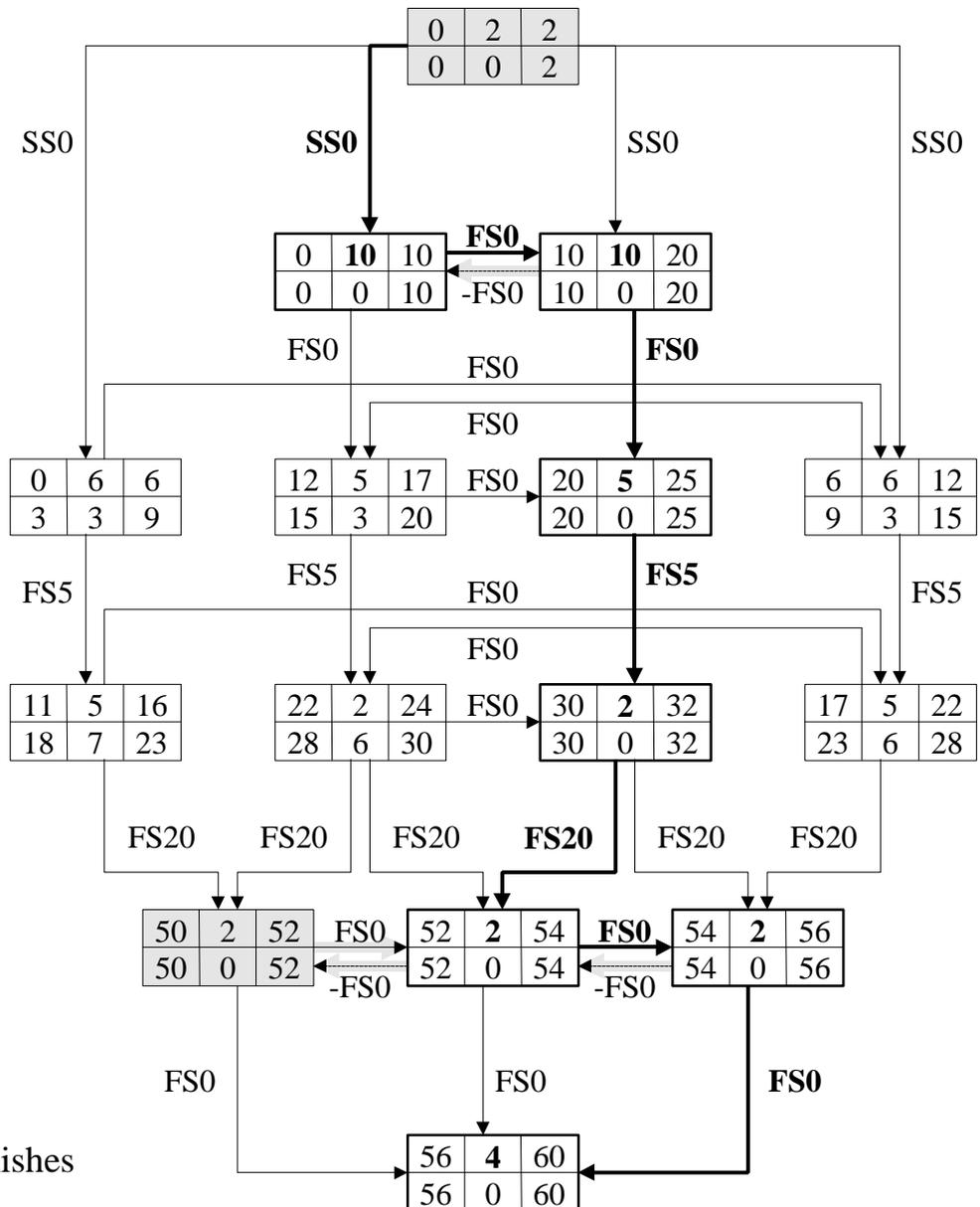
Piling

Foundations

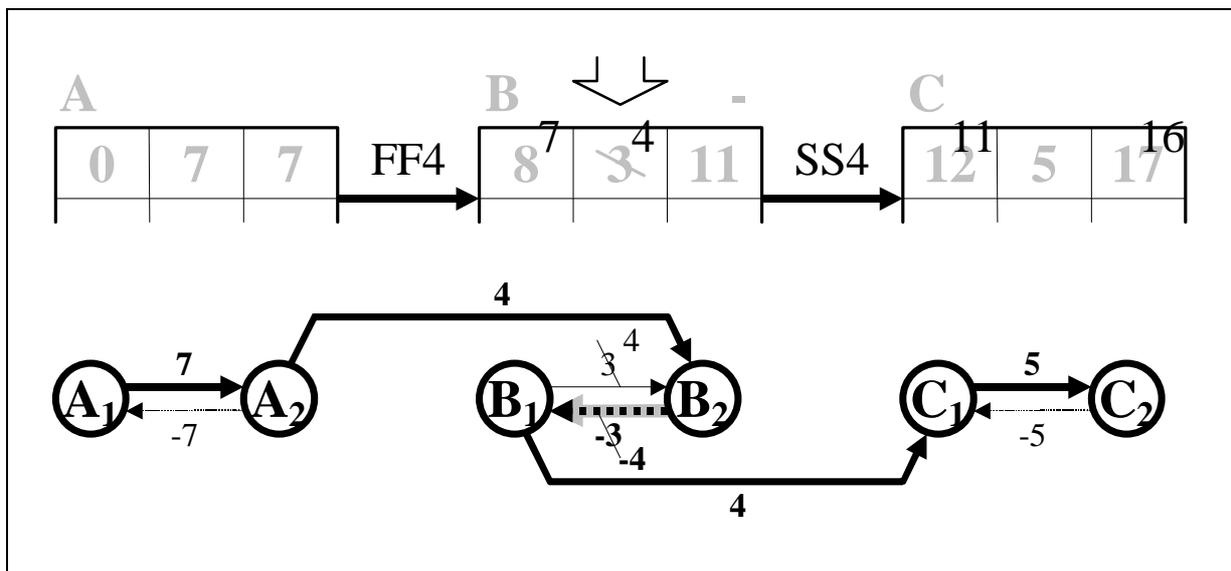
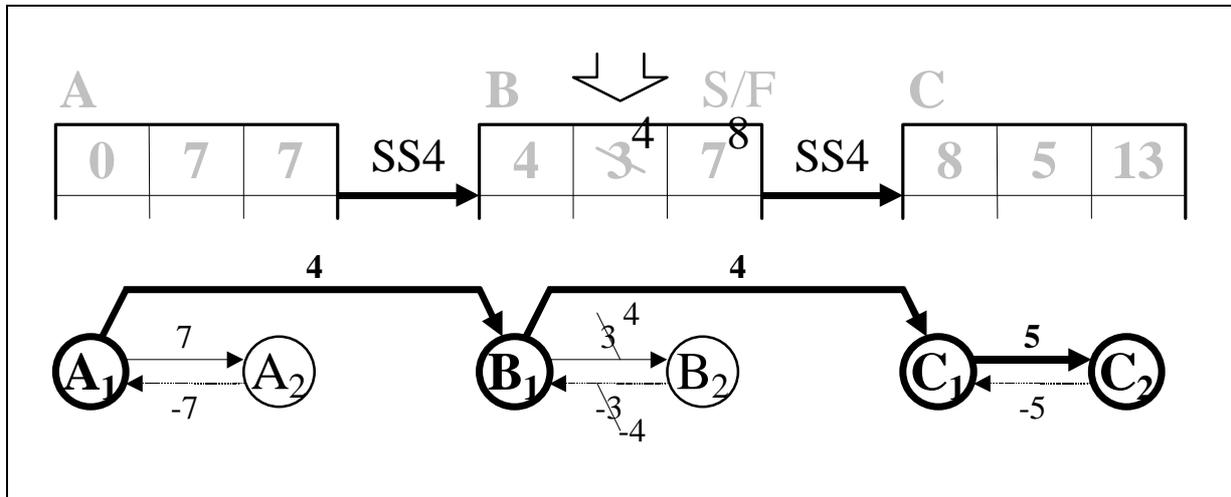
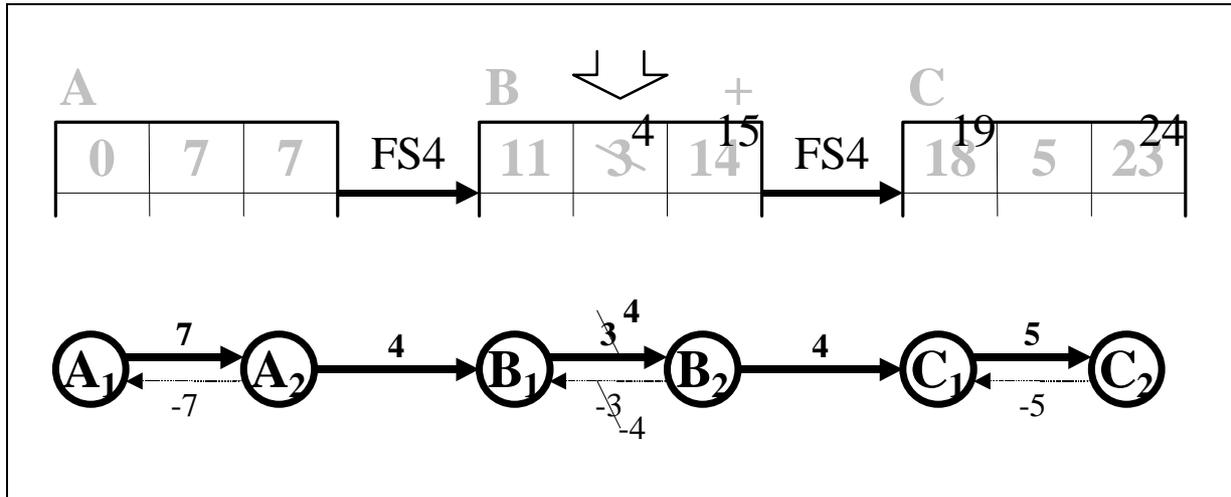
Walls & Piers

Beams & Slabs

Road Structures + Finishes



Behavior/Type of (Critical) Activities



General Time Model (GTM)

*1997 : Hungary, Z. A. Vattai,
Multi-project management (MÁV)*

Node :

Event (a specific moment in time)
(start, finish, milestone, deadline)

Edge :

Relation/comparison/restriction assignment
(process, activity, idle-time, lag-time, etc. as
technical interpretation)

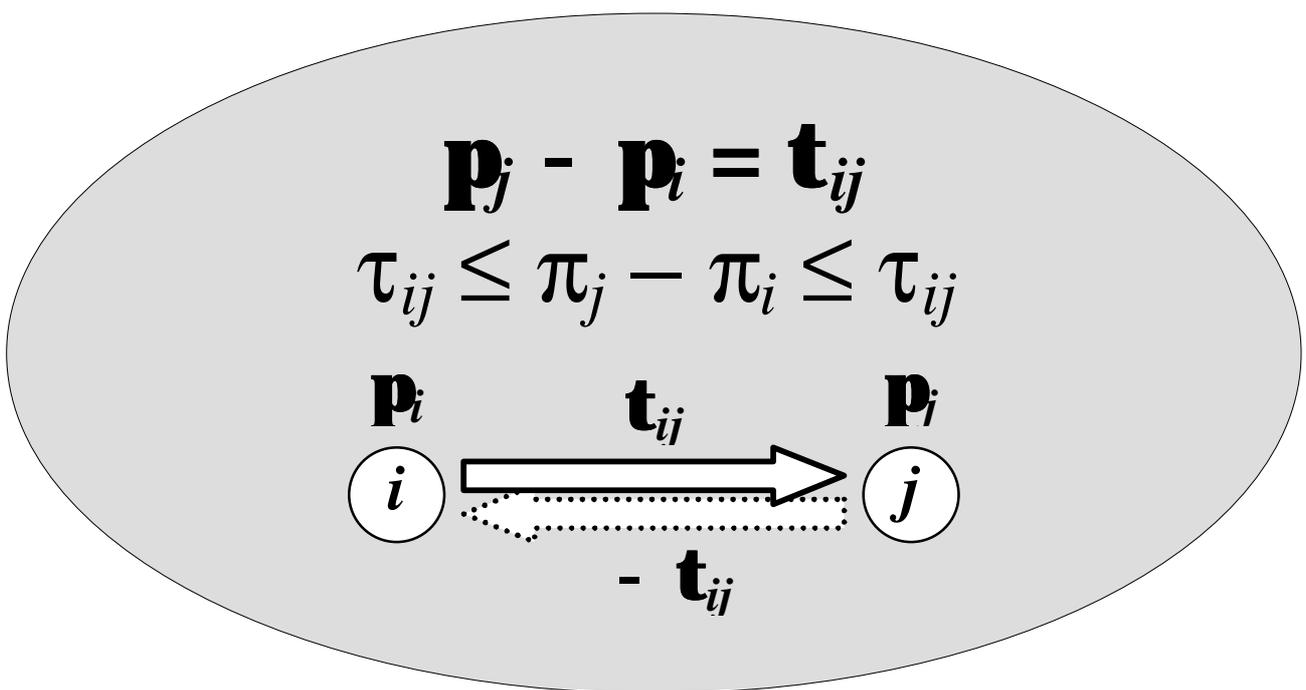
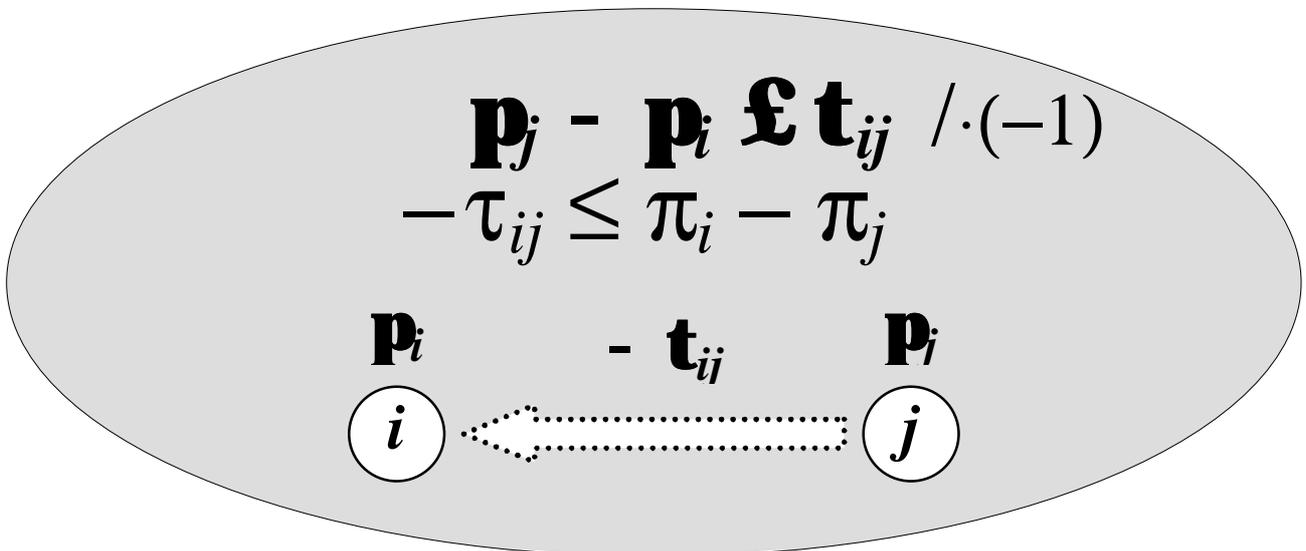
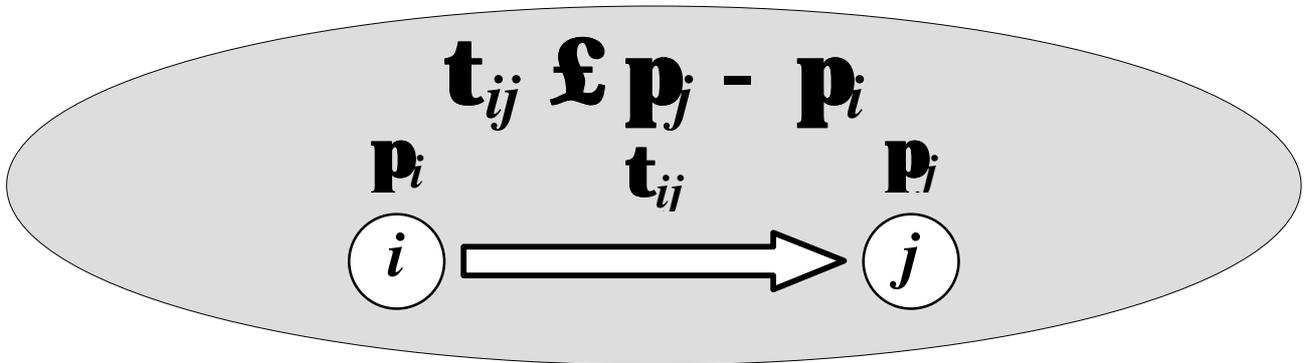
Parameter (weight) :

Restriction parameter, lower bound value,
time-potential
(deterministic variable)

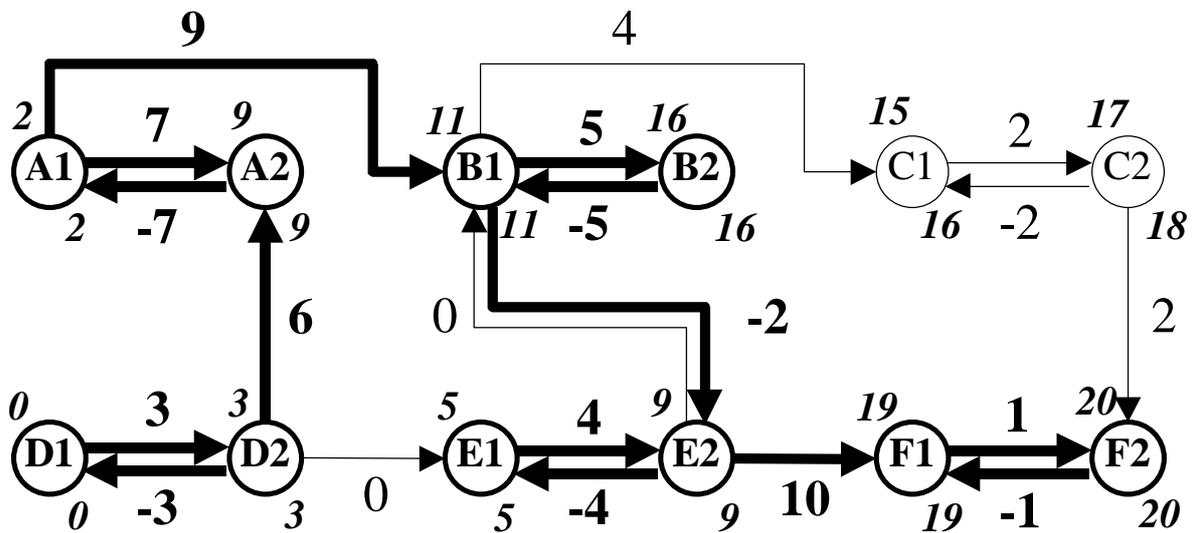
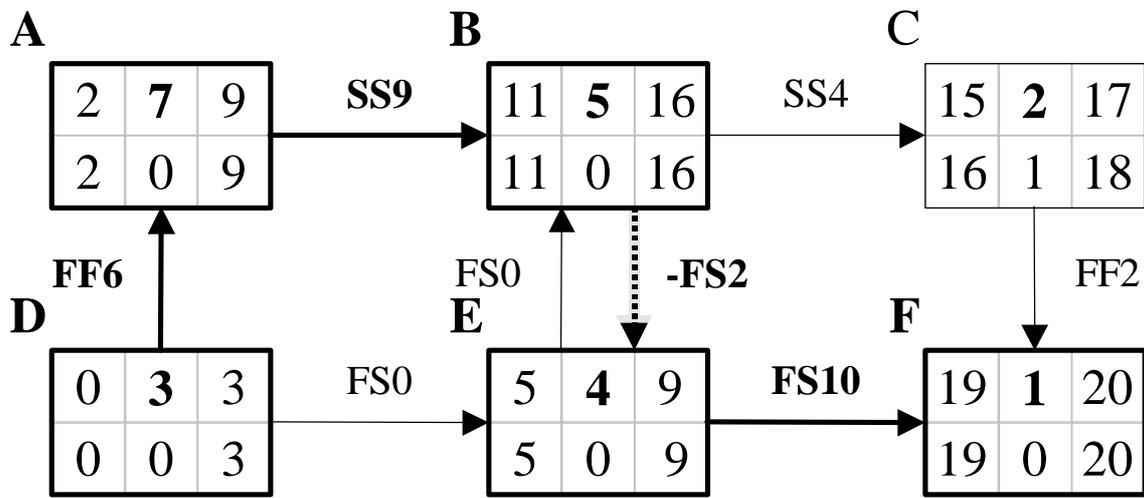
Aim :

Releasing restrictions of traditional
scheduling techniques (PERT,CPM,MPM),
to develop flexible technological models and
stabil logical structures for projects of
typified (logical/technological) elements

Homogenizing relations



MPM^{time} ® GTM Problem



	A1	A2	B1	B2	C1	C2	D1	D2	E1	E2	F1	F2	π^{\max}
A1	2	7	9										2
A2	-7	9											9
B1			11	5	4					-2			11
B2			-5	16									16
C1					2								16
C2					-2							2	18
D1							0	3					0
D2		6					-3	3	0				3
E1									5	4			5
E2				0					-4	9	10		9
F1											19	1	19
F2											-1	20	20
π^{\min}	2	9	11	16	15	17	0	3	5	9	19	20	

FOUR "MAGIC QUESTIONS"

from network techniques

- 1., Duration of an activity having no float in an activity-on-arrow typed project model get increased by δ . What will be its effect on the overall execution time of the project ?
- 2., Duration of an activity having no float in an activity-on-arrow typed project model get decreased by δ . What will be its effect on the overall execution time of the project ?
- 3., Duration of an activity having no float in an activity-on-node typed project model get increased by δ . What will be its effect on the overall execution time of the project ?
- 4., Can emerge any situation when an activity having no float simultaneously behaves as "*positive-*", "*negative*", "*start-*", and "*end-critical*" ?